





Pulsar Back-ends

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"Pulsar Tutorials" Workshop

September 25, 2017

A simple scheme of a single-dish radio telescope





What is a back-end?

A back-end can be regarded as the data "recorder".

It is a piece of hardware and/or software responsible for:

- the **digitization** of the pulsar signal
- further processing of the pulsar signal (e.g. **de-dispersion**)
- final **storage** of the data (in a convenient file format)

Main parts of a typical back-end



I) Digitization



When we observe a pulsar with our radio telescope, the electromagnetic wave coming from the source will induce a time-varying voltage in the two orthogonal feeds (X and Y) of the receiver.



I) Digitization

FourierAny signal, periodic or non-periodic, s(t), can always betheorem:represented as the sum of a (possibly infinite) numberof sinusoidsof sinusoids

NyquistGiven a signal s(t) whose Fourier spectrum has no frequenciestheorem:higher than f_{max} , the signal can be fully reconstructed if sampledat a frequency $f > 2f_{max}$

Hence, if I observe a pulsar, e.g.:

at L-band (e.g I.2 – <u>I.7 GHz</u>)	>	need to sample at minimum 3.4 GHz
at S-band (e.g 3.0 – <u>4.0 GHz</u>)		need to sample at minimum 8.0 GHz
at X-band (e.g. 8.0 – <u>10 GHz</u>)	>	need to sample at minimum 20 GHz

However, the fastest ADCs are able to generate about 2 Gsample/s (2 GHz)

How can we then perform high-frequency observations?

I) Digitization - Baseband

The spectral content of the signal is shifted in the Fourier domain via the down-conversion system.

L-band I.2 - I.7 GHz $f_{max} = I.7 \text{ GHz}$

 $f_{sample} = 3.4 \text{ GHz}$

Base-band 0.0 - 0.5 GHz $f_{max} = 0.5 \text{ GHz} (= bw)$ $f_{sample} = 1.0 \text{ GHz} = 2 * bw$

I) Digitization - Baseband

The ADC sampling speed determines how large our observing bandwidth can be.

$$BW_{max} = f_{sample} / 2$$

I Gsample/s	\rightarrow	$BW_{max} = 500 MHz$
2 Gsample/s	->	$BW_{max} = I GHz$
4 Gsample/s	\rightarrow	$BW_{max} = 2 GHz$

The digitized signal (for each polarization) is essentially a time series that embodies all the harmonic content of the observing bandwith.

However, it is convenient to split the signal into sub-bands.

Frequency		
Band N	lala de poblemente construir de la section de la section de la section de la section de la de la section de la Section de la section de la s	
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Time

The device responsible for this is the Polyphase Filterbank, implemented on an FPGA.

It takes N samples and, by performing an FFT, it transforms them into N/2 complex numbers, which represent the amplitudes+phases of the harmonic content.

N samples (length = N * t_{samp})

$$V_{x}(t_{1}) \quad V_{x}(t_{2}) \quad V_{x}(t_{3}) \quad \cdots \quad V_{x}(t_{N})$$
FFT
$$(A_{x}, \Phi_{x})_{N/2} = A_{x} e^{i\Phi x}$$

$$(A_{x}, \Phi_{x})_{3} = A_{x} e^{i\Phi x}$$

$$(A_{x}, \Phi_{x})_{2} = A_{x} e^{i\Phi x}$$

$$(A_{x}, \Phi_{x})_{2} = A_{x} e^{i\Phi x}$$

$$(A_{x}, \Phi_{x})_{1} = A_{x} e^{i\Phi x}$$

Example:

ADC speed: $I GHz \rightarrow t_{samp}$: $I / IGHz = 10^{-9} s \rightarrow BW$: 500 MHz

I want 32 subbands \rightarrow FPGA takes 64 samples (64 ns of data) \rightarrow FFT \rightarrow 32 channels, each with I sample (64 ns) of data

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3) Data storage

There are three main observing modes:

Baseband mode

The (digitized) raw voltages are stored in full time/freq resolution. All information is retained. One time series per subband. Maximum post-processing flexibility. Data stored as .*dada* files (~Many TB / h)

Search mode

The bandwidth is divided into a few hundreds or thousands of channels. Groups of samples are added together to retain a time resolution of typically a few tens of μ s. Coherent de-dispersion and/or full-Stokes are also usually possible. Data stored as *filterbank* or *PSRFITS* files (~10–100 GB/h)

Folding (Timing) mode

Need to know the pulsar parameters. Dispersion effect is removed (coherently or incoherently) according to pulsar's DM. The data in then *folded* according to the pulsar's ephemeris. Full-Stokes is possible. Data stored as *folded* archives (~10–500 MB/h)